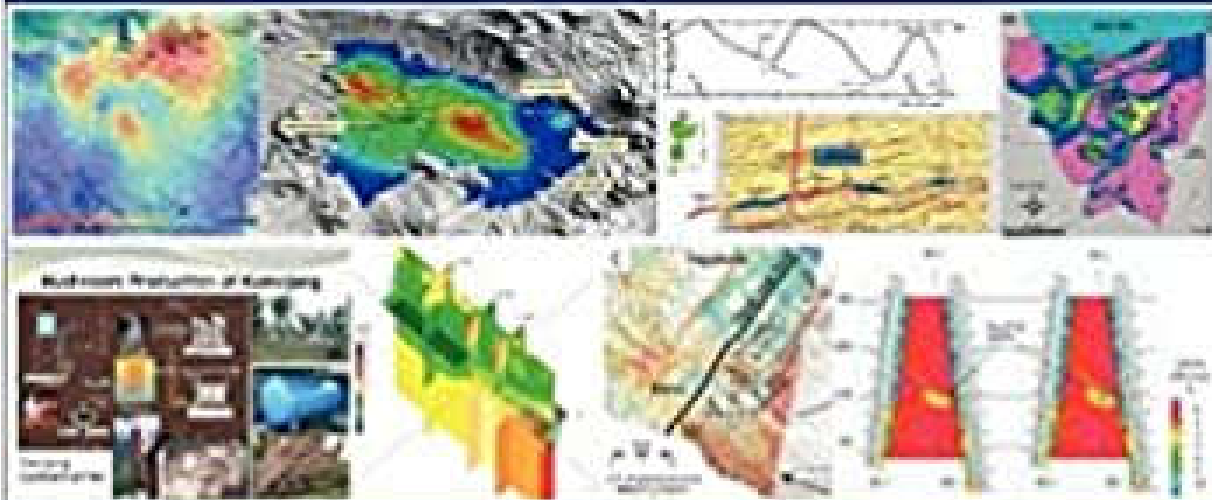


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SAKURA

Understanding the Time-Lapse Microgravity Response due to Subsidence and Groundwater Level Lowering

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ABSTRACT

Currently, Indonesia has several environmental and energy sustainability problems. Some environmental problems are in highly-populated cities that have a high potential for natural disasters and energy resources problem due to the geological condition of Indonesia as an active island arc. The increasing population and industry have greatly imparted the excessive extracting of groundwater and energy. These matters cause natural disasters, such as subsidence and groundwater level lowering. To handle these situations, it is important to improve and develop 4D geophysical methods used for solving environmental and energy problems. In this research, we have applied and developed the time-lapse (4D) microgravity method to identify and deeper the understanding of the subsidence and groundwater level lowering areas, especially in densely-populated residential areas.

Keywords: time-lapse, microgravity, subsidence, groundwater.

1. INTRODUCTION

Recently, 4D geophysical methods have been widely used and become an alternative method for supporting the production management of natural resources. One of the geophysical methods that can be used is the gravity method; and it can be called the time-lapse (4D) microgravity method because the anomaly is in units of micro value and

time as the fourth dimension. Time-lapse microgravity is the development of the gravity method which is characterized by the repeated gravity measurements at certain time periods. The changes in time-lapse microgravity responses are relatively small therefore, these values must be detected using the equipment capable of detecting anomalies up to level of microGal.

The development of the gravity method in various aspects of applications resulted in increasingly widespread uses of this method in geophysical exploration. The development in data acquisition techniques and gravity instruments allows this method to be used for hydrocarbon and gas monitoring as well as for monitoring the land subsidence and groundwater level changes. In this research, the time-lapse microgravity method was chosen to handle environmental and energy problems because highly-populated cities are mostly located in or close to residential areas, therefore, we need a method which uses handy equipment (movable), is easily moved from station to station, does not cause environmental damage, requires minimal 'electricity support', only needs a small team, and does not cause social conflict.

Time-lapse microgravity anomaly reflects several sources, such as station elevation change, fluid movement and physical properties (density) change in the subsurface. Based on the relationship, the use of the time-lapse microgravity method has been widely applied for monitoring oil and gas reservoirs (Hare et al., 1999; Santoso et al., 2004; Santoso et al. 2007; Kadir et al., 2008; Kadir, 2009; Ferguson et al., 2008; Hare et al., 2008), geothermal reservoirs (Allis and Hunt, 1986; Fujimitsu et al., 2000; Zaenudin et al., 2008; Sugihara and. Ishida, 2008), groundwater reservoirs (Santoso et al., 2006; Sarkowl, 2007; Pool, 2008; Davis et al., 2008; Getting et al., 2008; Chapman et al., 2008), land subsidence and groundwater level change (Branston and Styles, 2000; Kadir et al., 2004; Kadir et al., 2007; and Santoso et; al., 2006), etc.

Researchers know that a gravity anomaly in the surface is a superposition of all possible sources; and the best way to split out each anomaly has been a common problem in interpretation. In the time-lapse microgravity anomaly. The source of anomaly comes from the surface source [vertical ground movement) and from the subsurface sources (fluid movement and density change in the reservoir). A similar response of the time-lapse microgravity anomaly value between subsidence (vertical ground movement/ and the subsurface density increase, as well as between groundwater level lowering and subsurface density decrease, have been another problem with the geophysical interpretation technique. Therefore, we will present how to understand and identify the time-lapse microgravity response due to subsidence and groundwater level lowering. In this research, we have improved the time-lapse microgravity processing technique that can be used to separate- these anomalies in order to reduce ambiguity. Using a striping filter (model-based filler), we can extract the anomalies, which is caused by subsidence, and combine them with groundwater level changes data, so that we will get the subsidence value based on its sources such as groundwater withdrawal and other sources. To support this analysis, application of the method in a residential area of Jakarta that has a highly significant

subsidence and groundwater level lowering rate will be shown as an example study. Based on the time-lapse microgravity data and groundwater level changes data, we can analyse the source of subsidence in all parts of Jakarta.

2. TIME-LAPSE MICROGRAVITY THEORY

Time-lapse microgravity anomaly is the difference between two periods of measurements in the gravity observations values (g_{obs}) or the simple Bouguer anomalies, or the complete Bouguer anomalies. The difference of these anomaly values are caused by subsurface changes in the survey area.

The complete Bouguer anomaly is the difference between the observed gravity values and the theoretical gravity values of a certain measurement station. The values of the complete Bouguer anomalies are defined by Blakely (1996) as:

$$\Delta g(x, y, z) = g_{obs} - g_{\varphi} + FAC - BC + TC \quad (2.1)$$

Equation (2.1) can be simplified into:

$$\Delta g(x, y, z) = g_{obs} - g_{\varphi} + (C_1 - C_2\rho)h + C_3\Delta h \quad (2.2)$$

where:

$\Delta g(x, y, z)$:	the complete Bouguer anomaly;
g_{obs}	:	the observed gravity value;
g_{φ}	:	the theoretical gravity value at a station latitude φ ;
FAC	:	free air correction;
BC	:	Bouguer correction;
TC	:	terrain correction;
C_1	:	the constant of free air correction 10,30876 mGal/m);
C_2	:	the constant of Bouguer correction for finite slab (0,04193p mGal/m);
C_3	:	the constant of terrain correction;
ρ	:	the mass density;
h	:	the elevation of gravity station;
Δh	:	the difference between elevation of station observation and the average elevation of the surrounding area.

Sarkowi (2007) states that the time-lapse microgravity anomaly is:

$$\Delta g(x, y, z, \Delta t) = \Delta g(x, y, z, t_2) - \Delta g(x, y, z, t_1) \quad (2.3)$$

with

$$\Delta g(x, y, z, t_1) = g_{obs(1)} - g_{\varphi(1)} + (C_1 - C_2\rho)h_1 + C_3\Delta h_1$$

$$\Delta g(x, y, z, t_2) = g_{obs(2)} - g_{\varphi(2)} + (C_1 - C_2\rho)h_2 + C_3\Delta h_2$$

If there are elevation changes at the survey area during two periods of gravity measurements, equation (2.3) can be written in the form:

$\Delta g(x, y, z, \Delta t) = (g_{obs(2)} - g_{obs(1)}) - (g_{\varphi(2)} - g_{\varphi(1)}) + (C_1 - C_2\rho)(h_2 - h_1) + C_3(\Delta h_2 - \Delta h_1)$	(2.4)
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where:

$\Delta g(x, y, z, \Delta t)$:	the time-lapse microgravity anomaly;
$\Delta g(x, y, z, t_1)$		the complete Bouguer anomaly from the first gravity measurement
$\Delta g(x, y, z, t_2)$		the complete Bouguer anomaly from the second gravity measurement
$g_{obs(1)}$:	the observed gravity value in the first gravity measurement
$g_{obs(2)}$		the observed gravity value in the second gravity measurement
$g_{\varphi(1)}$:	the theoretical gravity value at a station latitude φ in the first gravity measurement
$g_{\varphi(2)}$		the theoretical gravity value at a station latitude φ in the second gravity measurement
h_1	:	the elevation of gravity station in the first gravity measurement;
h_2	:	the elevation of gravity station in the second gravity measurement;
Δh_1	:	the difference between elevation of station observation and the average elevation of the surrounding area in the first measurement:
Δh_2	:	the difference between elevation of station observation and the average elevation of the surrounding area in the second measurement:

If there is not the displacement of gravity stations in the horizontal direction during two periods of gravity measurements ($\varphi_1 = \varphi_2$) equation (2.4) can be simplified into:

$\Delta g(x, y, z, \Delta t) = (g_{obs(2)} - g_{obs(1)}) + (C_1 - C_2\rho)(h_2 - h_1) + C_3(\Delta h_2 - \Delta h_1)$	(2.5)
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Or

$(g_{obs(2)} - g_{obs(1)}) = \Delta g(x, y, z, \Delta t) - (C_1 - C_2\rho)(h_2 - h_1) - C_3(\Delta h_2 - \Delta h_1)$	(2.6)
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For the 3D causative body with density distribution $\rho(\alpha, \beta, \gamma)$, the time-lapse microgravity anomaly at a certain measurement station $P(x, y, z)$ on the surface can be expressed by the equation (Kadir, 1999):

$\Delta g(x, y, z, \Delta t) = \int_0^{\infty} \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \frac{G \Delta \rho(\alpha, \beta, \gamma, \Delta t)(z - \gamma)}{[(x - \alpha)^2 + (y - \beta)^2 + (z - \gamma)^2]^{3/2}} d\alpha d\beta d\gamma$	(2.7)
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Based on equation (26) and equation (2. 7), it can be obtained:

$$\begin{aligned} & (g_{obs(2)} - g_{obs(1)}) \\ &= \int_0^{\infty} \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \frac{G\Delta\rho(\alpha, \beta, \gamma, \Delta t)(z - \gamma)}{[(x - \alpha)^2 + (y - \beta)^2 + (z - \gamma)^2]^{3/2}} d\alpha d\beta d\gamma \\ & - (C_1 - C_2\rho)(h_2 - h_1) - C_3(\Delta h_2 - \Delta h_1) \end{aligned} \quad (2.8)$$

Based on the results of mathematical modeling and simulation using synthetic data, It can be shown that the time-lapse microgravity anomaly will be not be influenced by the topography effect. In addition, the soil consolidation which causes subsidence will not decrease the density of soil, therefore, the Bouguer correction can be neglected. Therefore, equation (2.8) can be simplified into:

$$\begin{aligned} & (g_{obs(2)} - g_{obs(1)}) \\ &= \int_0^{\infty} \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \frac{G\Delta\rho(\alpha, \beta, \gamma, \Delta t)(z - \gamma)}{[(x - \alpha)^2 + (y - \beta)^2 + (z - \gamma)^2]^{3/2}} d\alpha d\beta d\gamma \\ & - (C_1)(h_2 - h_1) \end{aligned} \quad (2.9)$$

The equation (2.9) shows the difference of the observed gravity values from the first and second gravity measurements which are caused by the subsurface density changes (relating to groundwater level changes) and subsidence.

The appropriate method to split-out time-lapse microgravity responses due to subsidence and groundwater level lowering is being considered in this research. Here, we have developed a stripping filter using a model-based filter (MBF). The main part of MBF development is forward modeling used to calculate gravity responses from the surface sources (subsidence) and the subsurface sources (subsurface density changes). In this forward modeling, a mass distribution is considered a finite collection of mass elements $dm = \rho(\alpha, \beta, \gamma) dV$ with a continuous mass distribution where ρ represents mass density and (α, β, γ) is mass coordinate. According to Blakely (1996), a mass can be approximated geometrically by the prism model as shown in Figure 2.1.

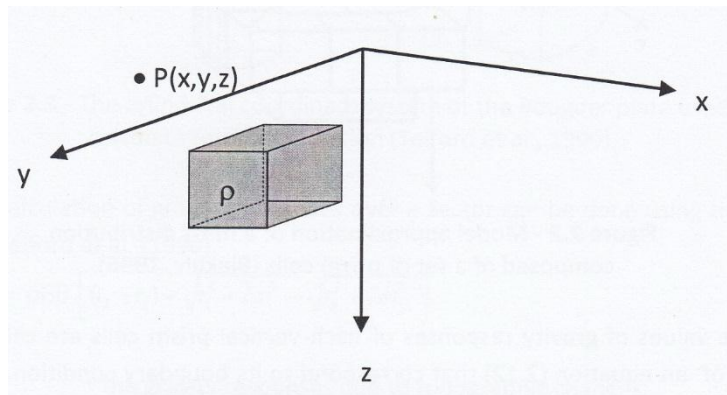


Figure.2.1- Geometric approximation of a mass using the prism model (Blakely, 1996).

The gravitational potential (U) and the gravitational acceleration (g) at the point P which is caused by an object's mass with the mass density ρ is:

$g(P) = \nabla U$ $= -G \int_V \frac{\vec{r}}{r^2} dV$	(2.10)
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From equation (2.10), it can be obtained

$g(x, y, z) = \frac{\partial U}{\partial z}$ $= -G \int_{\gamma} \int_{\beta} \int_{\alpha} \rho(\alpha, \beta, \gamma) \frac{(z - \gamma)}{r^3} d\alpha d\beta d\gamma$	(2.11)
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Where $r = \sqrt{(x - \alpha)^2 + (y - \beta)^2 + (z - \gamma)^2}$

Equation (2.11) can be written more simply as:

$g(x, y, z) = \int_{\gamma} \int_{\beta} \int_{\alpha} \rho(\alpha, \beta, \gamma) \frac{(z - \gamma)}{r^3} K(x - \alpha, y - \beta, z - \gamma) d\alpha d\beta d\gamma$	(2.12)
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Where $K(x, y, z) = -G \frac{z}{(x^2 + y^2 + z^2)}$ is Green function.

A mass distribution is considered as a finite collection of mass elements {cells}. And the gravity anomalies which are caused by a mass distribution are the superposition of gravity responses from these mass elements. The model approximation, of a mass distribution is shown in **Figure 2.2**.

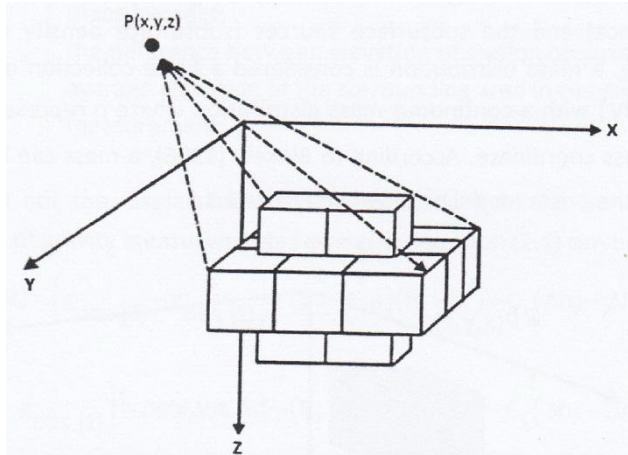


Figure 2.2 -Model approximation of a mass distribution composed of a set of prism cells (Blakely, 1996).

The values of gravity responses of each vertical prism cells are calculated by an integration of an equation (2.12) that correspond to its boundary condition. If the vertical prism cells have mass density ρ with boundary condition $x_1 \leq x \leq x_2, y_1 \leq y \leq y_2, z_1 \leq z \leq z_2$ the values of gravity responses can be calculated by:

$$g = G\rho \int_{\gamma} \int_{\beta} \int_{\alpha} \frac{\gamma}{(\alpha^2 + \beta^2 + \gamma^2)} d\alpha d\beta d\gamma \quad (2.13)$$

For each vertical prism cells with homogenous mass density as shown in **Figure 2.2.**, equation (2.13) is expressed by Plouff {1976) as:

$$g = G\rho \sum \sum \sum \mu_{i,j,k} \left[z_k \arctan \frac{x_i y_i}{z_k r_{i,j,k}} - x_i \log(R_{i,j,k} + y_i) - y_i \log(R_{i,j,k} + x_i) \right] \quad (2.14)$$

with $R_{i,j,k} = \sqrt{x_i^2 + y_j^2 + z_k^2}$ and $\mu_{i,j,k} = (-1)^i (-1)^j (-1)^k$

3. GRAVITY RESPONSES DUE TO A VARIETY OF ANOMALY SOURCES

3.1 Time-lapse Microgravity Responses due to Subsidence

One factor that can affect the gravity response is the difference of elevation between the measurement point and the average compartment of the surrounding area. This factor needs to be corrected by terrain correction using a cylindrical coordinate system of the Bouguer plate as shown in **Figure 2.3** (Telford et al., 1990). The calculation of terrain correction has been formulated by Hammer (1939) which uses a model approach of cylindrical object with height h relative to the measurement point and the surrounding area. The calculation of terrain correction is divided into several concentric circular zones with each zone divided into several sectors, and the average elevation is estimated from a topographic map. The total effect of gravity responses due to all of these zones, whether due to the negative height difference (valley) or the positive height difference (hill), it is called as terrain correction.

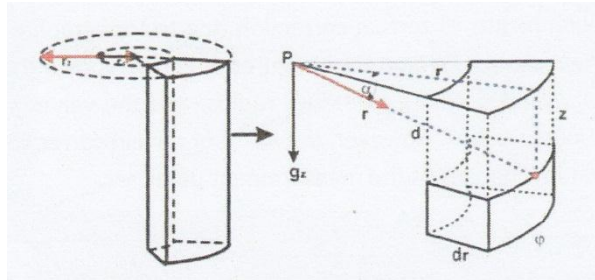


Figure 2.3. The cylindrical coordinate system of the Bouguer plate used to calculate terrain correction (Telford et al., 1990).

The calculation of gravity responses over a sector can be done using the equation proposed by Telford et al. (1990).

$$g_{TC} = \rho G \theta \left[(r_2 - r_1) + \sqrt{r_1^2 + \Delta h^2} - \sqrt{r_2^2 + \Delta h^2} \right] \quad (2.15)$$

where:

g_{TC}	:	the gravity responses due to topographic changes;
ρ	:	the mass density;
G	:	the universal gravity constant;

θ	:	the sector angle (radian)
r_1 and r_2	:	the inner and outer radius;
Δh	:	the difference of elevation between the measurement point and the surrounding area.

If within a certain time interval subsidence occurs at the measurement point. The difference of elevation between, the measurement point and the surrounding area will change. To model the changes in topography before and after the subsidence at the measurement point, Supriyadi (2008) has described the model as shown in **Figure 2.4**. It is assumed that before subsidence (t_0) the difference of elevation between the measurement point and the surrounding area is h . If there is subsidence of z , the difference of elevation between the measurement point and the surrounding area will be $h+z$.

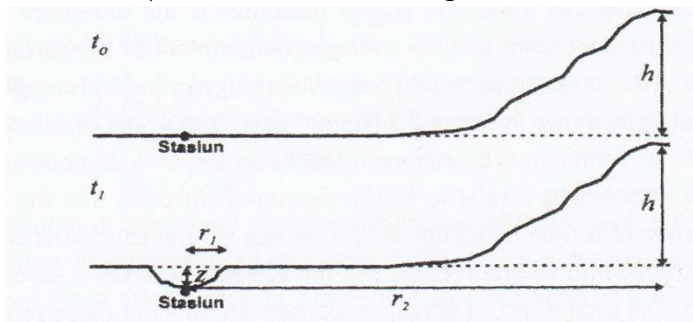


Figure 2.4. The model of topographic changes before subsidence at t_0 and after subsidence at t_1 (Supriyadi, 2.008).

The modeling results of terrain correction due to topographic changes are shown in **Figure 2.5** and **Figure 2.6**. Based on these figures, it can be shown the changes of terrain correction increase with decreasing the inner radius, and the value is relatively constant with increasing the outer radius. However, the value of terrain correction will increase with increasing the elevation changes of the measurement point.

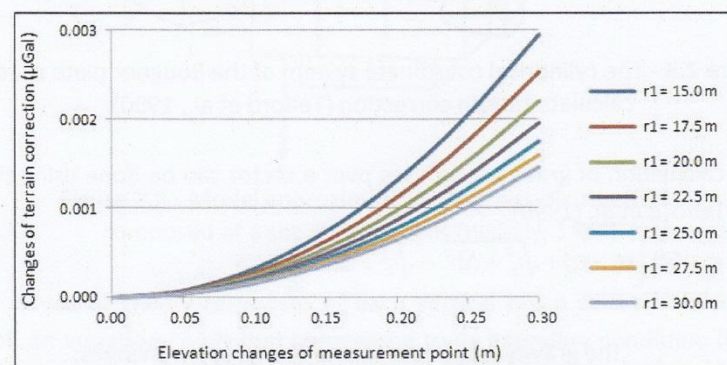


Figure 2.5. The changes of terrain correction due to topographic changes with a variation of the inner radius r , and constant outer radius r , 1000 m (Minardi, 2010).

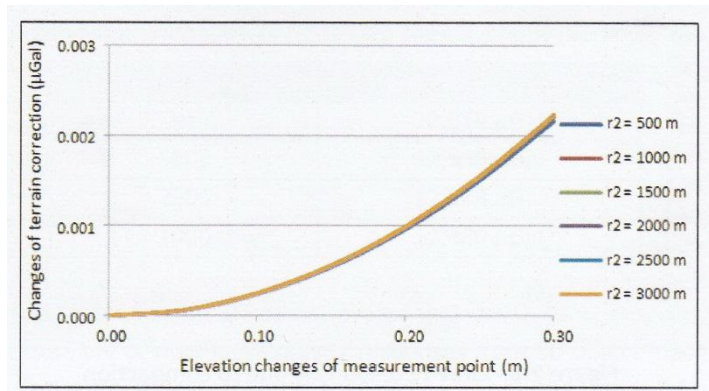


Figure 2.6. The changes of terrain correction due to topographic changes with the variation of the outer radius r , and constant inner radius r_1 20 m (Minardi, 2010).

Subsidence is a process of shifts downward in a surface which results in a decrease in distance between the measurement point and the centre of the Earth. The causes of subsidence are the compaction in one subsurface layer as a natural process or due to human activities. Decrease in the elevation of the measurement point will result in changes in the time-lapse microgravity response as shown in **Figure 2. 7.**

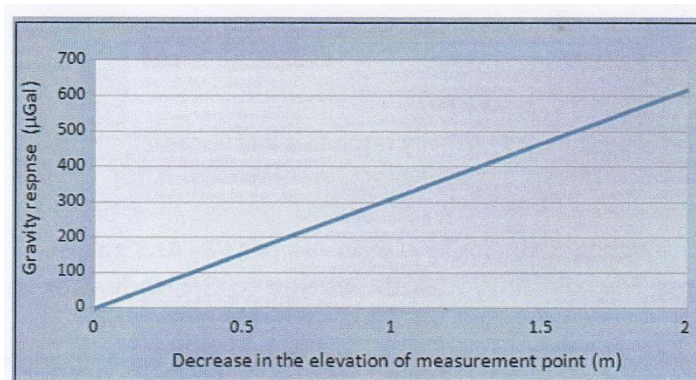


Figure 2.7. The result of time-lapse microgravity responses modeling due to decrease in the elevation of the measurement point (Minardi, 2010).

The results of gravity modeling used to calculate the response due to compaction, which occurs in one layer of the Earth, show that the gravity responses of the initial conditions (at t_0) until there is a compaction of 2 meters (at t_1) coincide as shown In **Figure 2.3** and visualized in **figure 2.9**. Based on modeling results, it can be shown that compaction does not result in mass loss because the volume reduction due to compaction will be compensated by the increasing mass density in the compacting rock layer.

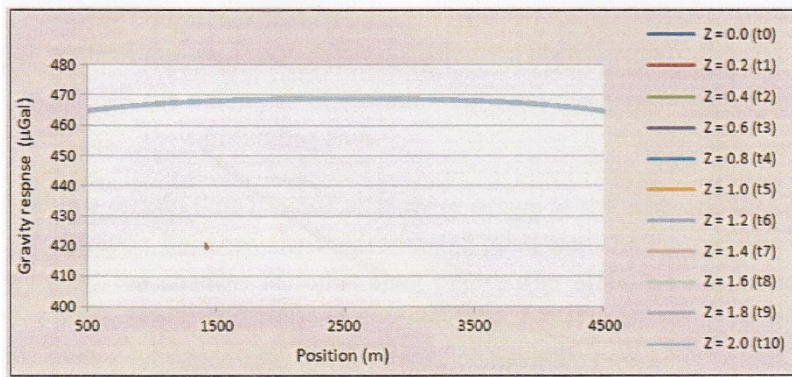


Figure 2.8 · Gravity responses due to compaction in one subsurface layer (Minardi, 2010).

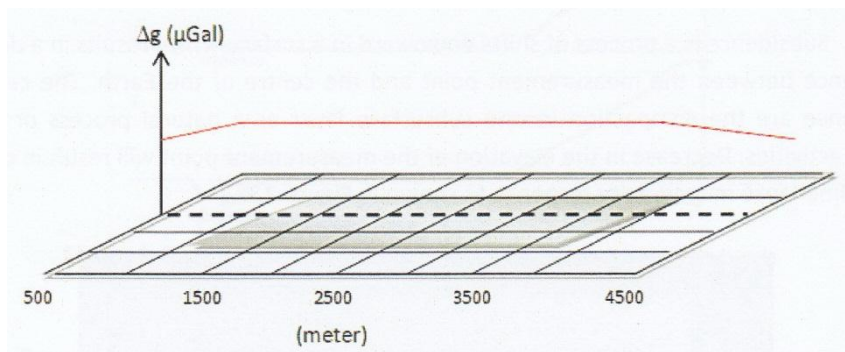


Figure 2.9. Gravity responses and visualization of the compacting rock layer (Minardi, 2010).

3.2. Time-lapse Microgravity Responses due to Groundwater Level lowering

As explained previously, in order to identify the time-lapse microgravity response due to subsidence and groundwater level lowering, we have developed a stripping filter using a model-based filter. To develop the filter as a tool to separate the sources of the anomalies from surface and subsurface, it needs to build a model describing density change occurring in the surface and the aquifer. The model of rock layer should be based on the aquifer data of the area studied. For example, Table 2.1 shows the 3D modeling results used to compute the time-lapse microgravity responses due to groundwater level changes using the assumption of a finite slab anomaly body with a fluid mass density of 1 gram/cc and the porosity of the reservoir at 30%.

Table 2.1- Time-lapse gravity responses due to the groundwater level changes using the approximation of finite slab anomaly body (Sarkowi, 2007).

Slab Dimension	4D Gravity Responses
∞	12,579 μGal
5000	12,550 μGal
2500	12,540 μGal
1000	12,480 μGal

Figure 2.10 shows the 30 object model that we used in modeling with varying thickness. The example of time-lapse gravity responses from 3D object model with varying thickness due to the groundwater level change of 1 m is shown in **Figure 2.11**. Based on the results of modelling, the maximum value of time-lapse microgravity responses is not affected by the thickness of the anomaly object provided that the size of the object is still consistent with the assumption of a finite slab anomaly body.

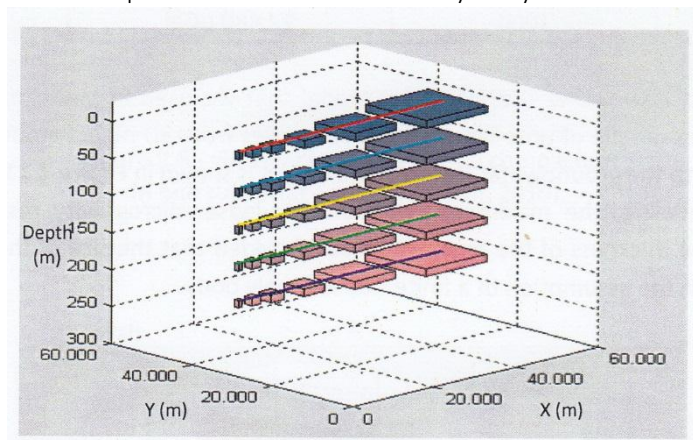


Figure 2.10. 3D anomaly body in a fixed site & position with varying thickness (Minardi, 2010).

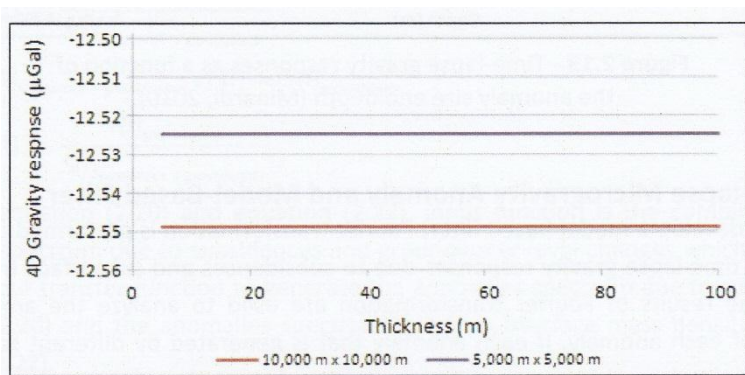


Figure 2.11. Time-lapse gravity responses as a function of the anomaly thickness (Minardi, 2010).

Next, the goal in using the modeling results is to know the time-lapse microgravity responses due to the influence of the site and the depth of the anomaly object. **Figure 2.12** shows the 3D object model that we used in modeling with varying size and depth. The example of time-lapse gravity responses from 3D object model with varying size and depth is shown in **figure 2.13**. Based on the results of modeling, there are the variation of time-lapse microgravity responses as a function of the anomaly size and depth.

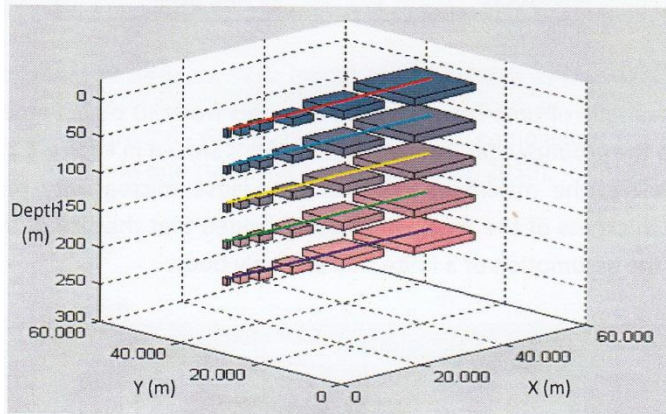


Figure 2.12. 3D anomaly body with varying size and depth (Minardi, 2010).

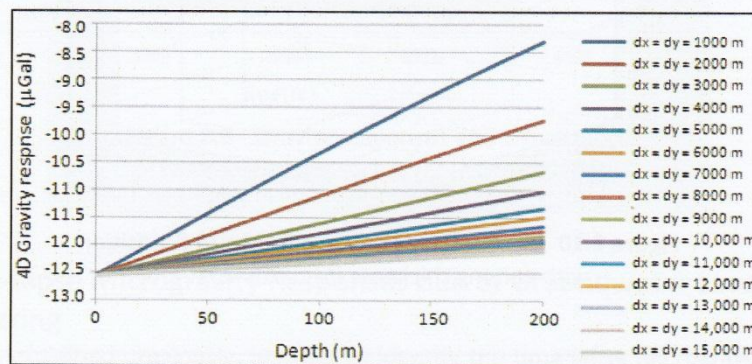


Figure 2.13. Time-lapse gravity responses as a function of the anomaly size and depth (Minardi, 2010).

3.3 Time-lapse Microgravity Anomaly and Model-Based Filter

To develop a model-based filter, Fourier transformation is performed on synthetic data of the time-lapse gravity responses due to subsidence and subsurface mass density changes. The results of Fourier transformation are used to analyze the amplitude and frequency of each anomaly. If each anomaly that is generated by different sources have different amplitude and frequency, the separation of anomaly sources can be performed

using a specific filter. The scheme of the filtering process in spatial and frequency domain is described as follows:

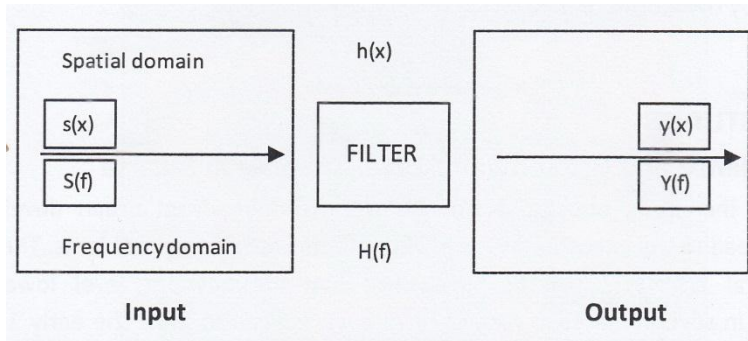


Figure 2.14. Scheme of filtering process in spatial and frequency domain (modified from Widiyanto, 2008).

Based on Figure 2.14, the relationship between input function, transfer systems, and output function in spatial and frequency domain can be formulated as:

$s(s) * h(x) = y(x)$	(2.16)
$S(f) \cdot H(f) = Y(f)$	(2.17)
$H(f) = \frac{Y(f)}{S(f)}$	(2.18)

where $s(x)$ and $S(f)$ are input functions; $y(x)$ and $Y(f)$ are output functions; $h(x)$ and $H(f)$ are linear transfer function;. To determine an output function directly in the spatial domain requires the convolution process of the input function with the transfer function and is usually more difficult than simply multiplying two functions in the frequency domain.

The application of equation (2.17) and equation (2.18) for this case study is the input of anomalies spectrum due to subsidence and subsurface mass density changes.

$S(f)_{\text{subsidence+groundwater}} \cdot H(f) = Y(f)_{\text{subsidence}}$	(2.19)
$H(f) = \frac{Y(f)_{\text{subsidence}}}{S(f)_{\text{subsidence+groundwater}}}$	(2.20)
$S(f)_{\text{subsidence+groundwater}} \cdot H(f) = Y(f)_{\text{groundwater}}$	(2.21)
$H(f) = \frac{Y(f)_{\text{groundwater}}}{S(f)_{\text{subsidence+groundwater}}}$	(2.22)

Based on equation (2.20) and equation (2.22), input function is the combination of an anomalies spectrum due to subsidence and groundwater level changes which is: operated by the output transfer function to generate the anomalies spectrum due to subsidence in equation (2.20) and the anomalies spectrum due to subsurface mass density changes in equation (2.22).

The model-based filter developed in this research is a model-based filter that doesn't depend on the wavelength of the anomaly. To obtain the most effective model-based filter that can separate the sources of time-lapse gravity anomalies, we have to conduct modeling for various sizes of anomaly object. The results of modeling should not be affected by the vertical position of model (anomaly depth).

4. CASE STUDIES

4-1 Subsidence and Groundwater Level Changes in Jakarta

The increasing population and Industry resulting from urban development in Jakarta will lead to the exacerbation of environmental and energy problems. These matters cause natural disasters such as subsidence and groundwater level lowering. Land subsidence in several places in Jakarta have been measured. Since the early 1980's using several techniques. Rate of land subsidence which were measured using several techniques are given in **Table 2.2** (Abidin et al., 2009).

Table 2.2 Land subsidence rate of several places in Jakarta which were measured using several techniques (Abidin et al, 2009).

Technique	Period	Rate (cm/year)
Leveling Survey	1982 – 1991	0 - 9
	1991 - 1997	0 - 25
GPS Survey	1997 - 2008	0 - 25
INSAR	2006 - 2007	0 - 12

The increasing population and 'the development of industry in Jakarta have increased the water demand in this area. Since the drinking water supplied by surface water only covers 30% of the water demand, people are harvesting the available groundwater in the basin. In the Jakarta groundwater Basin, the use of groundwater has greatly accelerated corresponding to the rise of Jakarta's population and the development of the industrial sector, which consumes a relatively huge amount of water (Delinom, 2008).

In order to control extraction of groundwater from the reservoir, Jakarta Mining Agency and BPLHD have measured the groundwater level at several places in Jakarta. The result of the measurement shows that groundwater levels in Jakarta has decreased in several places and increased in other places but the decreasing groundwater level is dominant. Groundwater level changes during the time period 1007 - 7008 is given at **Figure 2.15**.

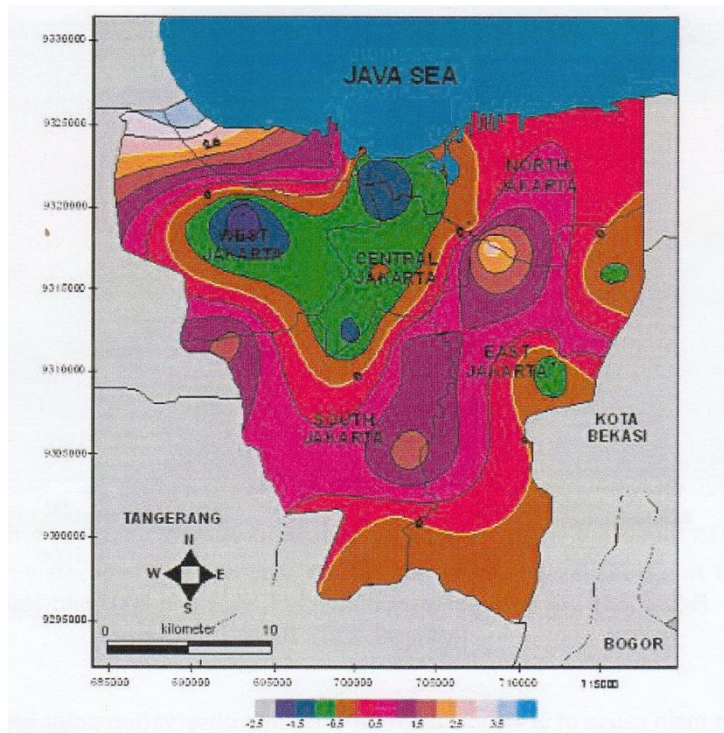


Figure 2.15 - Groundwater level changes in Jakarta during the time period 2007 -2008 (Minardi et al., 2010).

Many researchers have investigated the causes of subsidence in Jakarta. Rismianto and Mak (1993) and Murdohardono and Tirtomihardjo (1993) concluded that the main source of subsidence in Jakarta is groundwater withdrawal. Abidin et al. (2001) has compared subsidence and hydrogeology data and concluded that subsidence has a strong relationship with and is often caused by groundwater withdrawal. Maathuis et al. (1996) found an inconsistency in groundwater level lowering and changes in the benchmark elevation pattern and concluded that settlement caused by natural compaction and infrastructure loading is also a source of subsidence. Purnomo et. al., (1999) interpreted subsidence and groundwater level maps and found that while groundwater withdrawal was significant source or subsidence in many areas, in other areas it was not significant.

4.2 Microgravity Measurements

To understand sources of subsidence in Jakarta, especially which are caused by groundwater withdrawal, microgravity measurements have been conducted during two time periods, September 2007 and July 2008. Measurement; were conducted during the

same season to minimize the effect of rain fall, The result of gravity measurements of Jakarta in 2007 and 2008 are given in **Figure 2.16**.

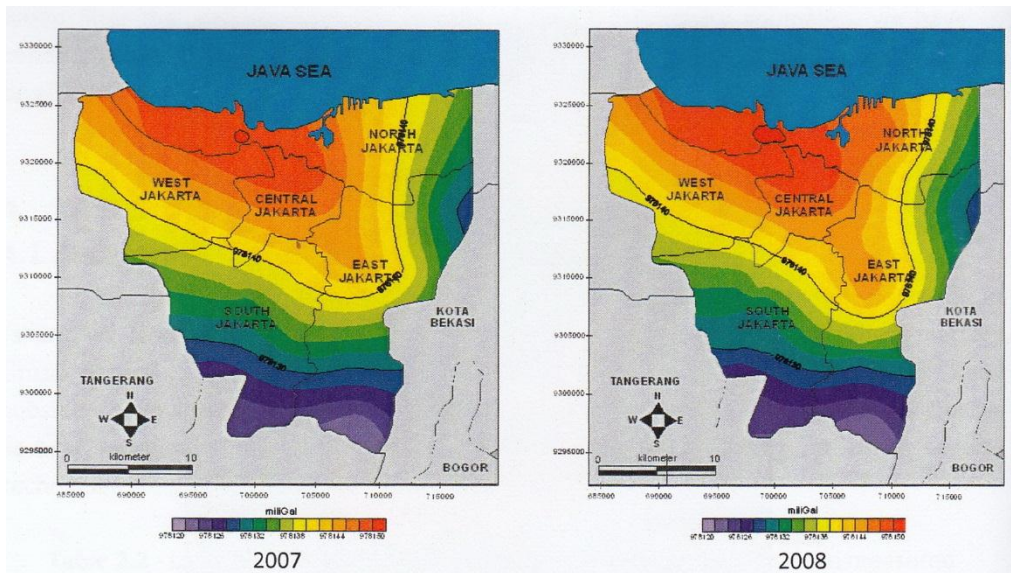


Figure 2.16 - Gravity observation map of Jakarta in 2007 and 2008 (Minardi et al., 2010).

The main cause of gravity changes at the same observation point between surveys are vertical ground movements and subsurface changes (Allis and Hunt, 1986). Subsurface change factors that affect the gravity differences are the changes in the groundwater level, changes in saturation (soil moisture content). In the vadose zone, changes in rainfall (seasons), and other fluid changes in the subsurface. Local topographic changes, horizontal ground movements, and changes in gravity at the base station are other factors causing gravity changes.

The gravity effects of groundwater movements and changes in subsurface mass density are obtained by correcting the measured gravity anomalies for the gravitational effect of vertical ground movements (subsidence) and changes in base value, if any. For convention, a decrease in gravity is referred to as a negative change (groundwater level lowering) and an increase (groundwater level upheaval) as a positive value. A negative change value implies groundwater withdrawal (discharge) and a positive value implies a groundwater increase (recharge).

Gravity correction for elevation changes can be calculated using the following equation (Telford et. al, 1990):

$$g(\varphi) = \left[1 + \left(\frac{5}{2}m - f - \frac{17}{14}mf \right) \sin^2\varphi + \left(\frac{f^2}{8} - \frac{5}{8}mf \right) \sin^2 2\varphi \right] \quad (2.23)$$

$\frac{\partial g_{\varphi}}{\partial h} = -\frac{2g_{\varphi}}{a}(1 + m + f - 2f \sin^2 \varphi)$	(2.24)
$\frac{\partial g_{\varphi}}{\partial h} = -3,0876 \mu\text{Gal}/\text{cm}$	(2.25)

where $g(\varphi), h, a, f, m, \varphi, \frac{\partial g_{\varphi}}{\partial h}$ are theoretical gravity at latitude φ , altitude, axis minor of the earth; the Earth flattening; Clairaut constant; latitude and gradient vertical gravity respectively.

Bouguer correction can be determined from equation (2.26).

$\Delta g_{BC} = 2\pi G\rho \cdot \Delta h$	(2.26)
---------------------------------------------	--------

where $\Delta g_{BC}, G, \rho, \Delta h$ are Bouguer correction caused by an elevation change, universal gravity constant, density, and elevation change, respectively. A one meter elevation change with 1.9 gram/cc. Bouguer density can cause a gravity change of about 79.667 μGal .

When we get water table changes due to precipitation, the gravity changes associated with it can be given by Allis and Hunt (1986):

$\Delta g_w = 2\pi G\rho_w \phi \cdot \Delta h$	(2.26)
-------------------------------------------------	--------

where $g_w, G, \rho_w, \phi, \Delta h$ are gravity correction caused by groundwater level changes, universal gravity constant, density of groundwater, porosity at the depth of water table, and change in water level respectively. One meter of water level change at the reservoir with 30% porosity can cause a gravity change of about 12.579 μGal .

4.3 Discussions

The time-lapse microgravity anomaly of Jakarta during the time period 2007 - 2008 is given in Figure 2.17. The main sources of time-lapse microgravity are ground movements (subsidence) and subsurface mass density changes, such as groundwater level changes. Based on this statement, we can separate both of time-lapse microgravity sources using a filter. In this research we used a filter-based model to separate them.

The results of the filtering process are a time-lapse microgravity anomaly caused by subsidence and subsurface mass density changes. Subsidence which is derived from time-lapse microgravity data is total subsidence caused by several sources of subsidence. Total subsidence, as a result of filtering, is given in **Figure 2.18**. The filtering results show that subsidence has occurred in all parts of Jakarta with value about 0 to 12 cm. The high value of subsidence about 9 to 12 cm, has occurred in North Jakarta, the triple Junction boundary of Central Jakarta, South Jakarta, East Jakarta, and In part of South Jakarta. Medium subsidence, about 5 to 8 cm has occurred at the eastern part of North Jakarta, Southern part

of West Jakarta, south western part of South Jakarta, and eastern part of East Jakarta. A low value of subsidence, 0 to 4 cm, has occurred at the northwestern part of West Jakarta and North Jakarta, southern part of South Jakarta, northeastern part of East Jakarta, and eastern part of North Jakarta.

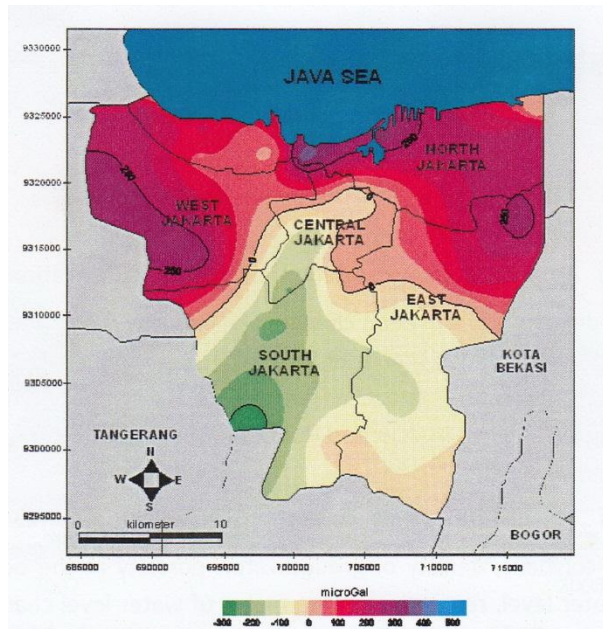


Figure 2.17 - Time-lapse microgravity anomaly of Jakarta during the time period 2007 - 2008 (Minardi et al., 2010) .

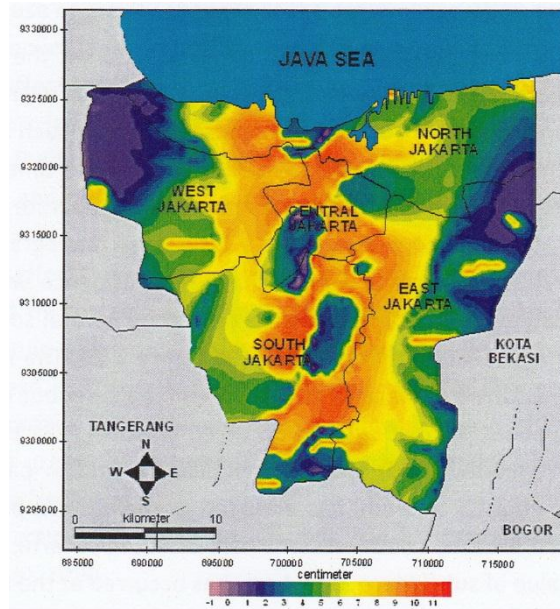


Figure 2.18 - Subsidence derived from time-lapse microgravity data of Jakarta during the time period -2007- 2008 (Minardi et al., 2010).

Furthermore, to separate sources of subsidence we used processing as given in Fig. 2.19. Subsidence caused by groundwater withdrawal were derived from groundwater level changes data which were directly measured from a groundwater monitoring well.

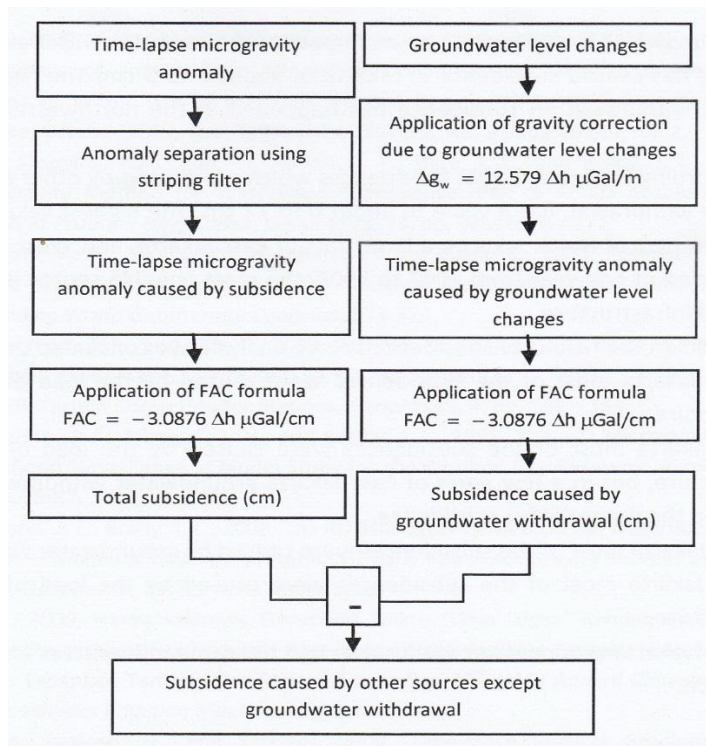


Figure 2.19 - Block diagram for modeling of subsidence sources (Minardi et al., 2010).

The results of subsidence sources modeling using procedures in Figure 2.19 are given in Figure 2.20a for groundwater level lowering and Figure 2.20b for other sources.

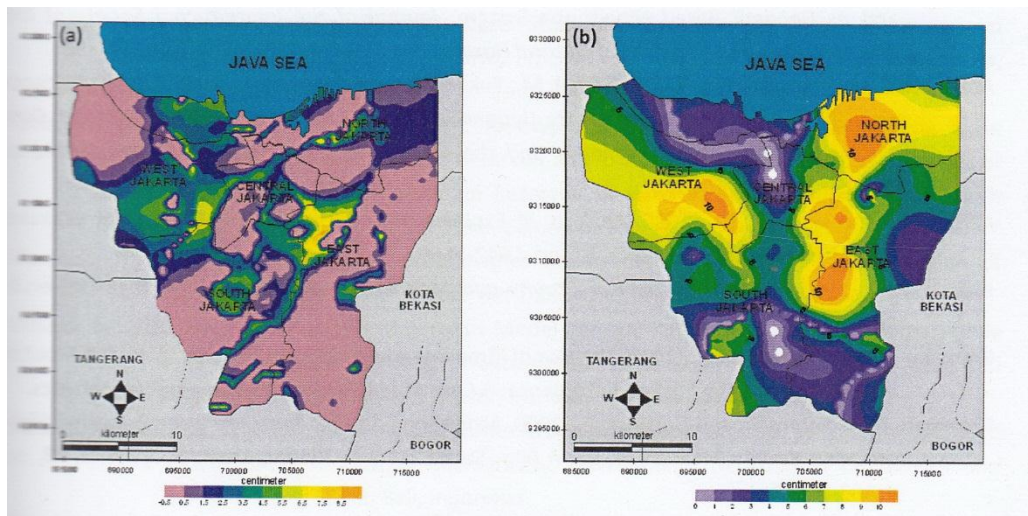


Figure 2.20 Subsidence derived from time-lapse microgravity data of Jakarta during the time period 2007-2008 caused by (a) groundwater level lowering and (b) sources except groundwater level lowering (Minardi et al., 2010).

Groundwater level lowering as an impact of groundwater withdrawal, as given in Figure 2.20a has caused subsidence in Jakarta of about 0 to 9 cm. The highest impact of groundwater withdrawal on subsidence has happened in the northwestern part of East Jakarta.

According to Figure 2.20b, subsidence which are caused by other sources, except groundwater withdrawal, has a value of about 0 to 12 cm. The highest value has occurred in the eastern part of North Jakarta, a large part of East Jakarta, and West Jakarta. During the short period of one year from 2007 to 2008, the most possible source is the load from buildings and infrastructure,

Based on the results of subsidence source analyzes, we concluded that:

- In North Jakarta most of the subsidence were caused by the load of buildings and infrastructure
- In East, Jakarta most of the subsidence were caused by the load of buildings and infrastructure, but in a few parts of East Jakarta groundwater withdrawal significantly influenced the potential for subsidence
- In South Jakarta most of the subsidence were caused by groundwater withdrawal.
- In West Jakarta most of the subsidence were caused by the load of buildings and infrastructure.
- In Central Jakarta groundwater withdrawal had the same influence as infrastructure on subsidence.

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