

Visualizing Three-Dimensional Hybrid Atomic Orbitals Using Winplot: An Application for Student Self Instruction

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VISUALIZING THREE DIMENSIONAL HYBRID ATOMIC ORBITALS USING WINPLOT: AN APPLICATION FOR STUDENT SELF INSTRUCTION

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The angular wave function, $|Y(\theta, \phi)|$, for the individual atomic orbital and the square of the angular wave function, $|Y(\theta, \phi)|^2$, for the hybrid atomic orbital is written in the ready form to input in Winplot.

i. Individual atomic orbital

Orbital	Angular function	$ Y(\theta, \phi) $ in Winplot format [†] f(t,u)
s	$Y_s = \frac{1}{\sqrt{2}} \frac{1}{\sqrt{2\pi}}$	((1/sqrt(2))(1/(sqrt(2pi))))
p _x	$Y_{p_x} = \frac{\sqrt{3} \sin \theta \cos \varphi}{2 \sqrt{\pi}}$	((sqrt(3)sin(u)/2)(cos(t)/sqrt(pi)))
p _y	$Y_{p_y} = \frac{\sqrt{3} \sin \theta \sin \varphi}{2 \sqrt{\pi}}$	((sqrt(3)sin(u)/2)(sin(t)/sqrt(pi)))
p _z	$Y_{p_z} = \frac{\sqrt{6} \cos \theta}{2 \sqrt{2\pi}}$	((sqrt(6)cos(u)/2)(1/(sqrt(2pi))))
d _{xz}	$Y_{d_{xz}} = \frac{\sqrt{15} \sin \theta \cos \theta \cos \varphi}{2 \sqrt{\pi}}$	((sqrt(15)sin(u)cos(u)/2)(cos(t)/sqrt(pi)))
d _{yz}	$Y_{d_{yz}} = \frac{\sqrt{15} \sin \theta \cos \theta \sin \varphi}{2 \sqrt{\pi}}$	((sqrt(15)sin(u)cos(u)/2)(sin(t)/sqrt(pi)))
d _{xy}	$Y_{d_{xy}} = \frac{\sqrt{15} \sin^2 \theta \sin 2\varphi}{4 \sqrt{\pi}}$	((sqrt(15)(sin(u))^2/4)(sin(2t)/sqrt(pi)))
d _{x²-y²}	$Y_{d_{x^2-y^2}} = \frac{\sqrt{15} \sin^2 \theta \cos 2\varphi}{4 \sqrt{\pi}}$	((sqrt(15)(sin(u))^2/4)(cos(2t)/sqrt(pi)))

d_z^2	$Y_{d_z^2} = \frac{\sqrt{10} (3 \cos^2 \theta - 1)}{4} \frac{1}{\sqrt{2\pi}}$	$((\sqrt{10})((3(\cos(u))^2-1)/4)(1/\sqrt{2\pi})))$
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ii. Hybrid Atomic Orbitals

Orbital	Angular function	$ Y(\theta, \phi) ^2$ in Winplot format [†] f(t,u)
sp (linear)	$Y_{sp}(1) = \frac{1}{\sqrt{2}} Y_s + \frac{1}{\sqrt{2}} Y_{p_x}$ $Y_{sp}(2) = \frac{1}{\sqrt{2}} Y_s - \frac{1}{\sqrt{2}} Y_{p_x}$	<ul style="list-style-type: none"> $((\sqrt{1/2})(1/\sqrt{2})(1/\sqrt{2\pi})) + (\sqrt{1/2})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi}))^2$ $((\sqrt{1/2})(1/\sqrt{2})(1/\sqrt{2\pi})) - (\sqrt{1/2})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi}))^2$
sp ² (trigonal planar)	$Y_{sp^2}(1) = \frac{1}{\sqrt{3}} Y_s + \frac{1}{\sqrt{6}} Y_{p_x} + \frac{1}{\sqrt{2}} Y_{p_y}$ $Y_{sp^2}(2) = \frac{1}{\sqrt{3}} Y_s + \frac{1}{\sqrt{6}} Y_{p_x} - \frac{1}{\sqrt{2}} Y_{p_y}$ $Y_{sp^2}(3) = \frac{1}{\sqrt{3}} Y_s - \frac{2}{\sqrt{6}} Y_{p_x}$	<ul style="list-style-type: none"> $((1/\sqrt{3})(1/\sqrt{2})(1/\sqrt{2\pi})) + (1/\sqrt{6})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) + (1/\sqrt{2})(\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi}))^2$ $((1/\sqrt{3})(1/\sqrt{2})(1/\sqrt{2\pi})) + (1/\sqrt{6})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) - (1/\sqrt{2})(\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi}))^2$ $((1/\sqrt{3})(1/\sqrt{2})(1/\sqrt{2\pi})) - (2/\sqrt{6})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi}))^2$
sp ³ (tetrahedral)	$Y_{sp^3}(1) = \frac{1}{2} (Y_s + Y_{p_x} + Y_{p_y} + Y_{p_z})$ $Y_{sp^3}(2) = \frac{1}{2} (Y_s + Y_{p_x} - Y_{p_y} - Y_{p_z})$ $Y_{sp^3}(3) = \frac{1}{2} (Y_s - Y_{p_x} - Y_{p_y} + Y_{p_z})$ $Y_{sp^3}(4) = \frac{1}{2} (Y_s - Y_{p_x} + Y_{p_y} - Y_{p_z})$	<ul style="list-style-type: none"> $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) + (1/2)((\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) + (1/2)((\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi})) + (1/2)(\sqrt{6}\cos(u)/2)(1/\sqrt{2\pi}))^2$ $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) + (1/2)((\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) - (1/2)((\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi})) - (1/2)(\sqrt{6}\cos(u)/2)(1/\sqrt{2\pi}))^2$ $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) - (1/2)((\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) - (1/2)((\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi})) + (1/2)(\sqrt{6}\cos(u)/2)(1/\sqrt{2\pi}))^2$ $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) - (1/2)((\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) + (1/2)((\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi})) - (1/2)(\sqrt{6}\cos(u)/2)(1/\sqrt{2\pi}))^2$
sp ² d (square planar)	$Y_{sp^2d}(1) = \frac{1}{2} Y_s + \frac{1}{\sqrt{2}} Y_{p_x} + \frac{1}{2} Y_{d_{x^2-y^2}}$ $Y_{sp^2d}(2) = \frac{1}{2} Y_s - \frac{1}{\sqrt{2}} Y_{p_x} + \frac{1}{2} Y_{d_{x^2-y^2}}$ $Y_{sp^2d}(3) = \frac{1}{2} Y_s + \frac{1}{\sqrt{2}} Y_{p_y} - \frac{1}{2} Y_{d_{x^2-y^2}}$ $Y_{sp^2d}(4) = \frac{1}{2} Y_s - \frac{1}{\sqrt{2}} Y_{p_y} - \frac{1}{2} Y_{d_{x^2-y^2}}$	<ul style="list-style-type: none"> $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) + (\sqrt{1/2})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) + (1/2)(\sqrt{15}(\sin(u))^2/4)(\cos(2t)/\sqrt{2\pi}))^2$ $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) - (\sqrt{1/2})(\sqrt{3}\sin(u)/2)(\cos(t)/\sqrt{2\pi})) + (1/2)(\sqrt{15}(\sin(u))^2/4)(\cos(2t)/\sqrt{2\pi}))^2$ $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) + (\sqrt{1/2})(\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi})) - (1/2)(\sqrt{15}(\sin(u))^2/4)(\cos(2t)/\sqrt{2\pi}))^2$ $((1/2)(1/\sqrt{2})(1/\sqrt{2\pi})) - (\sqrt{1/2})(\sqrt{3}\sin(u)/2)(\sin(t)/\sqrt{2\pi})) - (1/2)(\sqrt{15}(\sin(u))^2/4)(\cos(2t)/\sqrt{2\pi}))^2$

sp ³ d (trigonal bipyramidal)	$Y_{sp^3d}(1) = \frac{1}{\sqrt{3}}Y_s + \frac{6}{\sqrt{6}}Y_{p_x} + \frac{1}{\sqrt{2}}Y_{p_y}$ $Y_{sp^3d}(2) = \frac{1}{\sqrt{3}}Y_s + \frac{1}{\sqrt{6}}Y_{p_x} - \frac{1}{\sqrt{2}}Y_{p_y}$ $Y_{sp^3d}(3) = \frac{1}{\sqrt{3}}Y_s - \frac{2}{\sqrt{3}}Y_{p_x}$ $Y_{sp^3d}(4) = \frac{1}{\sqrt{2}}Y_{d_{z^2}} + \frac{1}{\sqrt{2}}Y_{p_z}$ $Y_{sp^3d}(5) = \frac{1}{\sqrt{2}}Y_{d_{z^2}} - \frac{1}{\sqrt{2}}Y_{p_z}$	<ul style="list-style-type: none"> $((\sqrt{t(1/3)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(\sqrt{t(1/3)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})+(\sqrt{t(1/2)})(\sqrt{t(3)}\sin(u)/2)(\sin(t)/\sqrt{t(\pi)}))^2$ $((\sqrt{t(1/3)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(\sqrt{t(1/3)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(\sqrt{t(1/2)})(\sqrt{t(3)}\sin(u)/2)(\sin(t)/\sqrt{t(\pi)}))^2$ $((\sqrt{t(1/3)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})-(\sqrt{t(2/3)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)}))^2$ $((\sqrt{t(1/2)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})+(\sqrt{t(1/2)})(\sqrt{t(6)}\cos(u)/2)(1/\sqrt{t(2\pi)})))^2$ $((\sqrt{t(1/2)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(\sqrt{t(1/2)})(\sqrt{t(6)}\cos(u)/2)(1/\sqrt{t(2\pi)})))^2$
sp ³ d ² (octahedral)	$Y_{sp^3d^2}(1) = \frac{1}{\sqrt{6}}Y_s - \frac{1}{\sqrt{2}}Y_{p_x} - \frac{1}{\sqrt{12}}Y_{d_{z^2}} + \frac{1}{2}Y_{d_{x^2-y^2}}$ $Y_{sp^3d^2}(2) = \frac{1}{\sqrt{6}}Y_s + \frac{1}{\sqrt{2}}Y_{p_x} - \frac{1}{\sqrt{12}}Y_{d_{z^2}} + \frac{1}{2}Y_{d_{x^2-y^2}}$ $Y_{sp^3d^2}(3) = \frac{1}{\sqrt{6}}Y_s - \frac{1}{\sqrt{2}}Y_{p_y} - \frac{1}{\sqrt{12}}Y_{d_{z^2}} - \frac{1}{2}Y_{d_{x^2-y^2}}$ $Y_{sp^3d^2}(4) = \frac{1}{\sqrt{6}}Y_s + \frac{1}{\sqrt{2}}Y_{p_y} - \frac{1}{\sqrt{12}}Y_{d_{z^2}} - \frac{1}{2}Y_{d_{x^2-y^2}}$ $Y_{sp^3d^2}(5) = \frac{1}{\sqrt{6}}Y_s - \frac{1}{\sqrt{2}}Y_{p_z} + \frac{1}{\sqrt{4}}Y_{d_{z^2}}$ $Y_{sp^3d^2}(6) = \frac{1}{\sqrt{6}}Y_s + \frac{1}{\sqrt{2}}Y_{p_z} + \frac{1}{\sqrt{3}}Y_{d_{z^2}}$	<ul style="list-style-type: none"> $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})-(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})+(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})-(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\sin(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\sin(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})-(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\sin(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})-(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\sin(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})+(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$ $((1/\sqrt{t(6)})(1/\sqrt{t(2)})(1/\sqrt{t(2\pi)})-(1/\sqrt{t(2)})(\sqrt{t(3)}\sin(u)/2)(\cos(t)/\sqrt{t(\pi)})-(1/\sqrt{t(12)})(\sqrt{t(10)}((3(\cos(u))^2-1)/4)(1/\sqrt{t(2\pi)})-(1/\sqrt{t(4)})(\sqrt{t(15)}(\sin(u))^2/4)(\cos(2t)/\sqrt{t(\pi)})))^2$

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[‡]The symbols u and t in Winplot format are θ and ϕ for the polar and azimuthal angles respectively.

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ORIGINALITY REPORT

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PRIMARY SOURCES

1	Andrian Saputra, Lorentz R. Canaval, Sunyono, Noor Fadiawati et al. "Visualizing Three-Dimensional Hybrid Atomic Orbitals Using Winplot: An Application for Student Self Instruction", Journal of Chemical Education, 2015 <small>Crossref</small>	61 words — 4%
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3	Wilfredo Credo Chung. "Three-Dimensional Atomic Orbital Plots in the Classroom Using Winplot", Journal of Chemical Education, 2013 <small>Crossref</small>	10 words — 1%
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