

Proceedings of the
2015 4th International Conference on
Interactive Digital Media
(ICIDM)

1-5 December 2015
Bandung, Indonesia

Organizer:



Co-organizer:



Co-sponsored:



IEEE Computer Society - Indonesian Chapter
IEEE Electron Devices, Education, Signal Processing, Power and
Energy Systems Societies - Indonesian Joint Chapter

IEEE Catalog Number CFP1588V-ART
ISBN 978-1-5090-1669-3

Proceedings of the
2015 4th International Conference on Interactive Digital Media (ICIDM)

Copyright ©2015 by the Institute of Electrical and Electronics Engineers, Inc.
All right reserved

Copyright and reprint permission

Abstracting is permitted with credit to the source. Libraries are permitted to photocopy beyond the limit of U.S. copyright law, for private use of patrons, those articles in this volume that carry a code at the bottom of the first page, provided the per-copy fee indicated in the code is paid through Copyright Clearance Center, 222 Rosewood Drive, Danvers, MA 1923

For other copying, reprint, or reproduction requests should be addressed to IEEE Copyrights Manager, IEEE Service Center, 445 Hoes Lane, P.O. Box 1331, Piscataway, NJ 08855-1331

IEEE Catalog Number CFP1588V-ART
ISBN 978-1-5090-1669-3

Additional copies of this publication is available from

Curran Associates, Inc.
57 Morehouse Lane
Red Hook, NY 12571 USA

+1 845 758 0400
+1 845 758 2633 (FAX)
Email: curran@proceedings.com

PREFACE

The International Conference on Interactive Digital Media (ICIDM 2015) aims to become a major point of contact between researchers, engineers and practitioners in Interactive Digital Media. Furthermore, ICIDM 2015 aims for increasing program for South East Asia computer graphics and image processing community to realize, recognize, and reveal the technological interplay at work behind the immersive and compelling virtual environment and digital media. The conference are covering the experience, expertise, and technological from academicians, researchers, and industry professionals.

ICIDM 2015 is organized by Institut Teknologi Bandung (ITB), Indonesia and Universiti Teknologi Malaysia (UTM), Malaysia. This conference is also sponsored by IEEE Computer Society Indonesian Chapter, IEEE Electron Devices Education Signal Processing and Power and Energy Systems-Indonesia Joint Chapter.

This volume contains 43 papers that were carefully selected for publication in the proceedings and oral presentation at the conference. In addition to regular presentations, two keynote speakers, Prof Scot Michael Osterweil (Massachusetts Institute of Technology, CAMBRIDGE) and Prof Mark Billingham (University of Canterbury, NEW ZEALAND) are invited to deliver lectures on System Engineering and Technology.

We are greatly in debt to many people and parties for their enthusiastic efforts that make this conference possible. Participation and supports of all authors, participants, committee members, secretariat, and sponsors are greatly appreciated. I thanks especially to reviewers for their precious expertise and timely reviews.

Finally, we sincerely hope that all of the participants gain tremendous benefits while having fruitful and enjoyable experiences during the conference at ITB campus, Bandung, Indonesia.

Dr-Techn. Ary Setijadi Prihatmanto (ITB, Indonesia)

ICIDM 2015 COMMITTEE

Patron Committee:

Prof. Dr. Kadarsah Suryadi (ITB)
Prof. Datuk. Ir. Dr Wahid bin Omar (UTM)

Advisory Board Committee:

Prof Dr. Bambang Riyanto (ITB)
Prof Dr. Carmadi Machbub (ITB)
Prof.Dr. Abdul Samad Ismail (UTM)
Prof.Dr. Abdul Hafidz Omar (UTM)
Prof. Dato' Emeritus (UTM)
Dr. Zainai Bin Mohamed (UTM)

Steering Committee:

Prof. Dr. Kuspriyanto (ITB)
Assoc. Prof. Dr. Mohd Shahrizal Sunar (UTM)
Assoc. Prof. Dr. Abdullah Bade (Universiti Malaysia Sabah)
Dr. Ir. Jaka Sembiring, M.Eng (ITB)

Organizing Committee:

General Chair:

Assoc. Prof. Dr-Tech Ary Setijadi (ITB)

General Co-chair:

Assoc. Prof. Dr. Mohd Shafry Mohd Rahim (UTM)
Prof. Dr. Mark Billingham (University of Canterbury)
Prof. Dr. Adrian David Cheok (City University London)
Dr. Hilwadi Hindersyah (ITB)

Technical Program Chair:

Assoc. Prof. Dr. Arief Syaichu Rohman (ITB)
Dr. Satria Mandala (UTM)

Publications Chair:

Assoc. Prof. Dr. Pranoto Hidayat Rusmin (ITB)
Dr. Norhaida Mohd Suaib (ITB)
Rifki Wijaya (ITB)
Marzuki Syafirin (Bandar Lampung University)
Agus Sukoco (Bandar Lampung University)
Maria Shusanti Febrianti (Bandar Lampung University)

Workshop & Local Arrangement Chair

Dr. Egi Hidayat (ITB)
Secretary: Misa Maryam (ITB)
Yati Suyati (ITB)

Proceedings of the
2015 4th International Conference on Interactive Digital Media (ICIDM)

Copyright ©2015 by the Institute of Electrical and Electronics Engineers, Inc.
All right reserved

Copyright and reprint permission

Abstracting is permitted with credit to the source. Libraries are permitted to photocopy beyond the limit of U.S. copyright law, for private use of patrons, those articles in this volume that carry a code at the bottom of the first page, provided the per-copy fee indicated in the code is paid through Copyright Clearance Center, 222 Rosewood Drive, Danvers, MA 1923

For other copying, reprint, or reproduction requests should be addressed to IEEE Copyrights Manager, IEEE Service Center, 445 Hoes Lane, P.O. Box 1331, Piscataway, NJ 08855-1331

IEEE Catalog Number CFP1588V-ART
ISBN 978-1-5090-1669-3

Additional copies of this publication is available from

Curran Associates, Inc.
57 Morehouse Lane
Red Hook, NY 12571 USA

+1 845 758 0400
+1 845 758 2633 (FAX)
Email: curran@proceedings.com

ICIDM 2015 COMMITTEE

Patron Committee:

Prof. Dr. Kadarsah Suryadi (ITB)
Prof. Datuk. Ir. Dr Wahid bin Omar (UTM)

Advisory Board Committee:

Prof Dr. Bambang Riyanto (ITB)
Prof Dr. Carmadi Machbub (ITB)
Prof.Dr. Abdul Samad Ismail (UTM)
Prof.Dr. Abdul Hafidz Omar (UTM)
Prof. Dato' Emeritus (UTM)
Dr. Zainai Bin Mohamed (UTM)

Steering Committee:

Prof. Dr. Kuspriyanto (ITB)
Assoc. Prof. Dr. Mohd Shahrizal Sunar (UTM)
Assoc. Prof. Dr. Abdullah Bade (Universiti Malaysia Sabah)
Dr. Ir. Jaka Sembiring, M.Eng(ITB)

Organizing Committee:

General Chair:

Assoc. Prof. Dr-Tech Ary Setijadi (ITB)

General Co-chair:

Assoc. Prof. Dr. Mohd Shafry Mohd Rahim (UTM)
Prof. Dr. Mark Billingham (University of Canterbury)
Prof. Dr. Adrian David Cheok (City University London)
Dr. Hilwadi Hindersyah (ITB)

Technical Program Chair:

Assoc. Prof. Dr. Arief Syaichu Rohman (ITB)
Dr. Satria Mandala (UTM)

Publications Chair:

Assoc. Prof. Dr. Pranoto Hidayat Rusmin (ITB)
Dr. Norhaida Mohd Suaib (ITB)
Rifki Wijaya (ITB)
Marzuki Syafirin (Bandar Lampung University)
Agus Sukoco (Bandar Lampung University)
Maria Shusanti Febrianti (Bandar Lampung University)

Workshop & Local Arrangement Chair

Dr. Egi Hidayat (ITB)
Secretary: Misa Maryam (ITB)
Yati Suyati (ITB)

PREFACE

The International Conference on Interactive Digital Media (ICIDM 2015) aims to become a major point of contact between researchers, engineers and practitioners in Interactive Digital Media. Furthermore, ICIDM 2015 aims for increasing program for South East Asia computer graphics and image processing community to realize, recognize, and reveal the technological interplay at work behind the immersive and compelling virtual environment and digital media. The conference are covering the experience, expertise, and technological from academicians, researchers, and industry professionals.

ICIDM 2015 is organized by Institut Teknologi Bandung (ITB), Indonesia and Universiti Teknologi Malaysia (UTM), Malaysia. This conference is also sponsored by IEEE Computer Society Indonesian Chapter, IEEE Electron Devices Education Signal Processing and Power and Energy Systems-Indonesia Joint Chapter.

This volume contains 43 papers that were carefully selected for publication in the proceedings and oral presentation at the conference. In addition to regular presentations, two keynote speakers, Prof Scot Michael Osterweil (Massachusetts Institute of Technology, CAMBRIDGE) and Prof Mark Billingham (University of Canterbury, NEW ZEALAND) are invited to deliver lectures on System Engineering and Technology.

We are greatly in debt to many people and parties for their enthusiastic efforts that make this conference possible. Participation and supports of all authors, participants, committee members, secretariat, and sponsors are greatly appreciated. I thanks especially to reviewers for their precious expertise and timely reviews.

Finally, we sincerely hope that all of the participants gain tremendous benefits while having fruitful and enjoyable experiences during the conference at ITB campus, Bandung, Indonesia.

Dr-Techn. Ary Setijadi Prihatmanto (ITB, Indonesia)

Chair of ICIDM 2015

Author Index

No Paper	Author	Paper Title
1	Muhammad Faris Fathoni and Aciek Ida Wuryandari	Comparison between Euler, Heun, Runge-Kutta and Adams-Bashforth-Moulton Integration Methods in the Particle Dynamic Simulation
2	Wong Seng Yue	Enhancement of Learning Management System (LMS) by Serious Game Engine: Collaborative Learning Approach
3	Aris Hartaman, Basuki Rahmat and Istikmal Istikmal	Performance and Fairness Analysis (using Jain's Index) of AODV and DSDV based on ACO in MANETs
5	Handoko Supeno, Pranoto H Rusmin, Hilwadi Hindersah	OPTIMUM SCHEDULING FOR TRUCK BASED ON GENETIC ALGORITHM ON SPIN(SIMULATOR PELABUHAN INDONESIA)
6	Kiki Supendi and Ary Setijadi Prihatmanto	DESIGN AND IMPLEMENTATION OF THE ASSESMENT OF PUBLIK OFFICERS WEB BASE WITH GAMIFICATION METHOD
7	Irwin Supriadi and Ary Setijadi Prihatmanto	Design and Implementation of Indonesia United Portal Using Crowdsourcing Approach for Supporting Conservation and Monitoring of Endangered Species
8	Hendy Irawan and Ary Setijadi Prihatmanto	Implementation of Graph Database for OpenCog Artificial General Intelligence Framework using Neo4j
9	Rinanda Febriani, Aciek Ida Wuryandari and Tunggal Mardiono	Design Interaction of Smart Health Chair Approach The Usability Aspect on SHESOP Health Care
10	Asep Mulyana, Hilwadi Hindersah and Ary Setijadi Prihatmanto	Gamification Design of Traffic Data Collection Through Social Reporting
12	Supriyanto Supri, Hilwadi Hindersah and Ary Setijadi P	Designing Gamification for Taxi Booking System (Case Study: Bandung Smart Transportation System)
13	Bright Gameli Mawudor, Myong-Hee Kim and Man-Gon Park	Continuous Monitoring Methods as a Mechanism for Detection and Mitigation of Growing Threats in Banking Security System
14	Marzuki Syahfirin, Agus Sukoco and Maria Shusanti	Visual-based Machine Understanding Framework for Decision Making on Social Robot
15	Ani Siti Anisyah, Pranoto Hidayat Rusmin and Hilwadi Hindersah	Route Optimization Movement of Tugboat with A* Tactical Pathfinding in SPIN 3D Simulation
16	Dadan Sukma, Ary Setijadi and Aciek Ida Wuryandari	The Analysis Of Vidyanusa Educational Game on Set Theory Using Individual Learning Method
18	Wong Seng Yue	An Exploratory Study of Gamified Classroom via Prezi

19	Qori Qonita, Ary Setijadi Prihatmanto and Aciek Ida Wuryandari	Vidyanusa Game Utilization on Arithmetic Sequence and Addition Subtraction of Integers to Improve Mathematics Learning Outcomes of Junior High School Students (Case Study in SMPN 31 Bandung)
20	Muhamad Fadhil Norraji and Mohd Shahrizal Sunar	wARna – Mobile-based Augmented Reality Colouring Book
21	Sukeipah Yuli Prihatin, Pranoto Hidayat Rusmin and Yoga Priyana	Design of Exponential Number and the Living Things Interaction Pattern Using 5/10 Method (Case Study: Vidyanusa EduGame Mission 12)
22	Yeni Masitoh, Aciek Ida Wuryandari and Tunggal Mardiono	Steppy Gamification on Development of Electronic Health Record as Supporting Health Information for SHESOP's Users
23	Fawwaz Mohd Nasir and Mohd Shahrizal Sunar	A Survey on Simulating Real-time Crowd Simulation
24	Aila Gema Safitri, Pranoto Hidayat Rusmin and Ary Setijadi Prihatmanto	Design and Implementation of Educational Game based on Thematic Curriculum using Three Layered Thinking Model (Case study: Applying Number and Social Arithmetic in The Real Life)
25	Saba Joudaki, Mohd Shahrizal Bin Sunar and Hoshang Kolivand	Background Subtraction Methods in Video Streams: A Review
26	Haritz Cahya Nugraha and Pranoto Hidayat Rusmin	Educational Game Design on Pythagorean Theorem For Game Based Learning Using 6i's Component
27	Dian Andriana, Carmadi Machbub and Ary Setijadi Prihatmanto	Opponent Zigzag Movement Model Capture and Prediction in Robotic Soccer
28	Riyad Al-Rousan, Mohd Shahrizal Sunar and Hoshang Kolivand	Stylized Line Drawings for Shape Depiction
29	Ekal Hadiyatma, Ary Setijadi P and Yoga Priyana	Interaction Design Steppy Application Based on Factor Usability on Services SHESOP
30	Ade Surya Iskandar, Ary Setijadi Prihatmanto and Yoga Priyana	Design and Implementation Electronic Stethoscope On Smart Chair for Monitoring Heart Rate and Stress Levels Driver
31	Ary Kamaludin and Pranoto Hidayat Rusmin	Design and Implementation Educational Game of Coordinate Systems and Least Common Multiple Using Educational Games Design Model
33	Wuri Cahya Handaru, Intan Rizky Mutiaz, Ary Setijadi Prihatmanto	Infographics Application "Citizen Daily Reporting" - Enabled Participatory Platform for Citizen and Government The Case of Bandung Cities
34	Ismahafezi Ismail, Mohd Shahrizal Sunar, Hay Wen Qian and Mohd Azhar M. Arsad	3D Character Motion Deformation Technique for Motion Style Alteration

35	Sainudin -, Ary Setijadi Prihatmanto and Aciek Ida Wuryandari	Educational Game Design Calculation of Broad and Round The Triangle and Quadrilateral Using DPE (Design, Play, and Experience) Framework
36	Nidjo Sandjojo, Tenia Wahyuningrum	Measuring E-Learning Systems Success: Implementing D & M IS Success Model
38	Ariston Harianto, Eko Nugroho and Rio Fredericco	Reinforcing Youth Reading Habits Through Text-Based Games
39	Caliandra Trinanda, Ary Setijadi Prihatmanto and Yoga Priyana	Development of SHESOP Website Based on usability factors
40	Mohammad Iqbal, Carmadi Machbub and Ary Setijadi Prihatmanto	Educational Game Design Using The 7 Steps for Designing Serious Games Method (Case Study: Mathematical Subject on Comparison and Scale Material for 7th Grade Junior High School)
42	Handi Pradana, Ary Setijadi Prihatmanto andHandi Pradana	Design And Implementation Of Logistic Management System Using Crowdsourcing : “Indonesia-United Logistic”
44	Prima Murti Rane Singgih, Dwinita Larasati and Intan Rizky Mutiaz	Digital Serious Game Design “Aksiku.bdg” Facilitate Young Citizen’s Participatory Planning
45	Ling Sing Angeline Lee, Ng Giap Weng, Jian Zheng Ooi and Yin Bee Oon	Merging Graphic Design and Multimedia Features in Digital Interactive eBook for Tourism Purposes
46	Ling Sing Angeline Lee, Shahrudin Siti Shukhaila, Ng Giap Weng and Wan Syarifah Fazidawaty	User’s Expectations on Interactive Travel Guide eBook: A Case Study
47	Farhan Mohamed, Som Chai Chai Tong, Bazli Tomi, Mohd Khalid Mokhtar, Yusman Azimi Yusoff and Alfiera Anuar	Heart Care Augmented Reality Mobile Simulation (heARt)
269	A. Wicaksono and Ary S. Prihatmanto	Optimal Control System Design for Electric Vehicle
270	Wamiliana and Mustofa Usman, Dwi Sakethi, Restu Yuniarti and Ahmad Cucus	The Hybrid of Depth First Search Technique and Kruskal’s Algorithm for Solving The Multiperiod Degree Constrained Minimum Spanning Tree Problem
271	Sajarwo Anggai, Ivan Stanislavovich Blekanovand Sergei Lvovich Sergeev	Design Muntoi Web-based Framework and Search Engine Analytics for Thematic Virtual Museums

The Hybrid of Depth First Search Technique and Kruskal's Algorithm for Solving The Multiperiod Degree Constrained Minimum Spanning Tree Problem.

Wamiliana¹, Mustofa Usman¹, Dwi Sakethi², Restu Yuniarti² and Ahmad Cucus³

¹Department of Mathematics, Lampung University, Indonesia

²Department of Computer Science, Lampung University, Indonesia

³Faculty of Computer Science, The University of Bandar Lampung, Indonesia

Wamiliana.1963@fmipa.unila.ac.id

Abstract— Given edge weighted graph $G(V,E)$ (all weights are nonnegative) where vertices can represent terminals, cities, etc., and edges can represent cables, road, etc., the Multi Period Degree Constrained Minimum Spanning Tree Problem (MPDCMST) is a problem of finding the total minimum installation cost whilst also maintaining the maximum number of edges incidence to every vertex. The restriction of the links on every vertex occurs to keep the reliability of the network. Moreover, the installation process also divided into some periods due to fund limitation. In this research we will discuss the hybrid between the depth first search technique and Kruskal's Algorithm applying to solve the MPDCMST problem.

Keywords: Multi period, degree constrained minimum spanning tree, installation, depth first search, Kruskal's algorithm

I. INTRODUCTION

Combinatorial (or discrete) optimization is one of the most active fields in the interface of operations research, computer science and applied mathematics. It has experienced a most impressive growth in recent years. This growth has been fuelled in a large part by the increasing importance of computer technology in business and industry and the demands from many application areas where discrete models play more and more important roles.

Network design as one of the areas of combinatorial optimization, plays an important role in many real-life applications. In this modern age where accurate models and efficient solution techniques are required, it provides the representation of problems at hand. Some examples of network design include: transportation networks for the movement of commodities; communication networks for the transmission of information; powerful multiprocessor systems for solving complex problems such as radar signal processing and many more.

In order to design an efficient and accurate network, graph theoretic concepts are usually used to represent the problem. The graph structure can be used to model or design complex

network systems. Usually the nodes or vertices represent the components (stations, cities, computers, depots, etc) and the edges represent the relationship or interconnection between the components (railways, roads, cables, etc). On designing the network, there is some nonstructural information in the network that must be considered such as: cost, capacity, distance, reliability, time delay, equipment capacity, traffic density, etc. By assigning weights to the vertices and edges of the graph representing the network, these factors can be incorporated into the graph theoretical models.

One problem of network optimization is Multi Period Degree Constrained Minimum Spanning Tree Problem. This problem derived from the famous Minimum Spanning Tree Problem by adding degree restriction on every vertex (Degree Constrained Minimum Spanning Tree Problem). Moreover, since all vertices cannot be installed at once due to some factors such as fund, weather, then the installation process of the network is divided into some periods, then this Degree Constrained Minimum Spanning Tree Problem becomes the Multi Period Degree Constrained Minimum Spanning Tree Problem (MPDCMST).

For a brief illustration of this problem, Suppose that City A does not have a fresh water network that connects entire buildings and houses in that city. The government of City A needs to build a pipe water network as a service to its people, but they have some constraints such as :

- Not all buildings can be connected in one period due to fund limitation (need more than one period, *multi periods*)
- Some buildings must be installed first (for example hospitals and other public facilities, and so on).
- The connection on some buildings cannot exceed a certain number of spots (*degree restriction/constrained*).
- All buildings must be installed when all period is over and installation finish but with the possible minimum cost (*minimum spanning tree*)

We will discuss about the method available in literature in Section 2. In Section 3 we will discuss about the algorithm developed, and in Section 4 we will give the implementations and results, followed by Conclusion.

II. LITERATURE REVIEW

The Minimum Spanning Tree (MST) problem is one of the classical problems arising in many network design applications. The fundamental problem that we focus on here is when the objective is to construct a minimum cost network that satisfies the prescribed graph parameters.

To find a minimum-spanning tree, there are two well-known algorithms: Kruskal's [4] and Prim's [5]. However, the earliest algorithm for finding a minimum spanning tree according to [1] was suggested by Boruvka who developed an algorithm for finding the most economical layout for a power-line network [6].

The Degree Constrained Minimum Spanning Tree Problem is a problem of finding a MST but there is a restriction on every vertex. This additional constraint increases the complexity of the problem. As already known that the computational complexity of Kruskal's algorithm is $O(n^2)$ which is polynomial time algorithm. The additional constraint makes the problem to be in class of NP hard. The Multi Period Degree Constrained Minimum Spanning Tree (MPDCMST) is an enhanced problem of Degree Constrained Minimum Spanning Tree (DCMST) by setting the connection of all vertices in the networks is done into some periods.

The MPDCMST problem first introduced by [3] who proposed a hybrid method between Lagrangean Relaxation and branch exchange, and used 10-year planning horizon and the time period for activating each terminal is uniformly distributed. They implemented the method using graphs with order varying from 40 to 100 vertices.

The modification of MPDCMST problem is proposed by [6]. They changed the planning horizon to one year and divided the installation process into three periods. They tested their method using graph with vertex order from 10 up to 100 taken from [7][8] and all problems are feasible. [2] improved the algorithm developed by [9] and tested the algorithm on some problems taken from TSPLIB, and [10] modified the method developed in [9] by setting $HVT_i = 3$ for every i .

III. THE ALGORITHM

In this research we define $MaxVT_i$ as the maximum number of vertices that can be installed on i^{th} period, HVT_i is set of vertices that must be installed in i^{th} period or before, and $|HVT_i|$ is the number of elements in the set HVT_i . Note that if $|HVT_i| > MaxVT_i$, then the problem becomes infeasible. In this research we set $MaxVT_i = \lfloor \frac{n-1}{3} \rfloor$ and $\sum_{i=1}^3 MaxVT_i = n-1$. The highest value of $MaxVT_i$ will be installed on the last period. For the degree constraint, we do restrict that degree of every vertex cannot exceed 3. The reason for choosing this value is if we reduce the degree to 2, then the problem almost similar with Hamiltonian. But,

if we increase the value to 5 or more then basically we reduce our problem to Minimum Spanning Tree.

The algorithm starts by setting vertex 1 as central vertex and then sorting the edges in increasing order and do like Kruskal's algorithm. But, whenever we choose one vertex (suppose that is j) under consideration to be installed in i^{th} period, we must check if that j already in HVT_i or not. If that j is in, then the process is continuing as finding the DCMST solutions (check also degree restriction) while also check the 2- minimum path (2 depth) starting from j as a root. However, if the vertex is not in, then we check if the differences between $MaxVT_i$ and HVT_i . If it is > 0 , then that vertex can be installed, if not then that vertex might be installed in the next or last period. Note that during installation process that possible we get a forest, but at the end of the installation all vertices are connected. The following picture briefly illustrates the method.

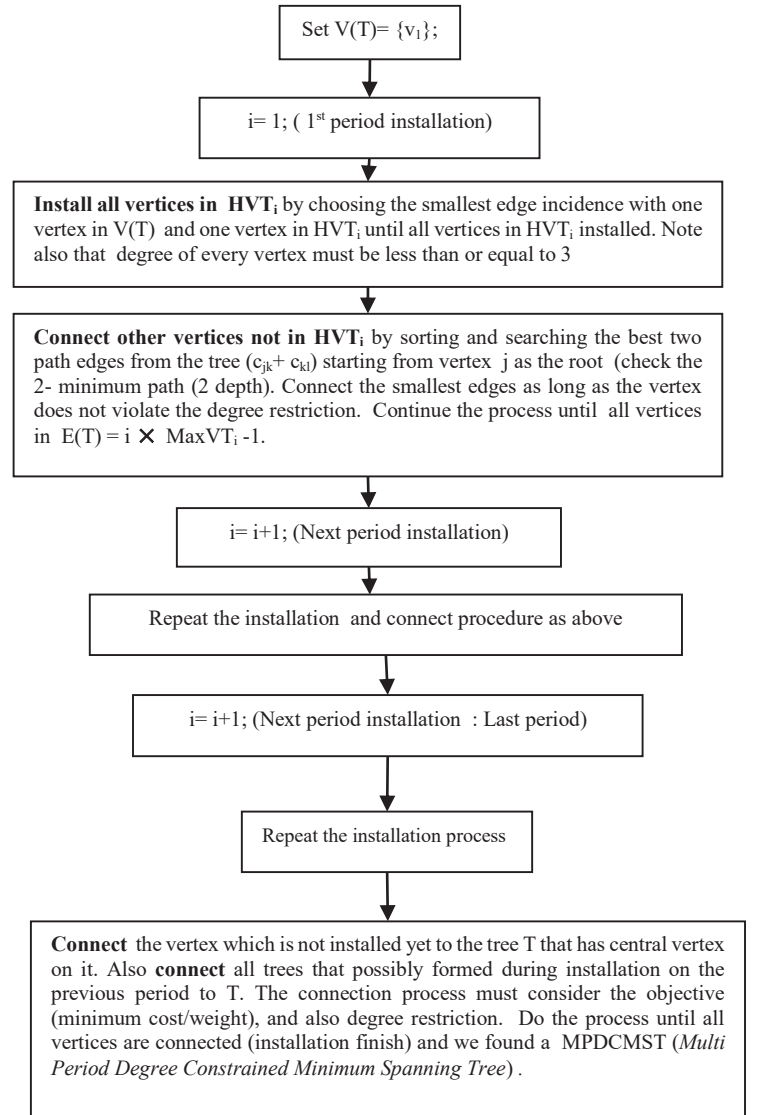


Figure 1. The Procedure

IV. IMPLEMENTATION , RESULTS AND DISCUSSIONS

Data for Implementation

We use the data set used by [2] and [9]. The data consist of vertices whose order from 10 to 100 with increment of 10. The edge weights are generated randomly from uniform distribution from 1 to 1000. Also, all data are assuming as complete graphs (for every pair of vertices there is an edge connecting them). For every vertex order, 30 random problems are generated.

We implemented our heuristic using the C++ programming language running on dual core computer, with 1.83 Ghz and 2 GB RAM. Since most of the time the $\text{MaxVT}_i > |\text{HVT}_i|$ (otherwise, the infeasibility occurs) the inserted vertices in HVT_i are important factors to determine the solution of the problem. The following table shows how different vertices in HVT_i will give different solution :

TABLE I
EXAMPLE OF SOLUTIONS BY CHOOSING DIFFERENT HVT_i

MPDCMST solution when $\text{HVT}_1 = \{2\}, \text{HVT}_2 = \{3\}$ $\text{HVT}_3 = \{6\}$	MPDCMST solution when $\text{HVT}_1 = \{10\}, \text{HVT}_2 = \{9\}$ $\text{HVT}_3 = \{8\}$																																																																						
File name: I.dat, n = 10	Name File: I.dat, n = 10																																																																						
<table border="1"> <thead> <tr> <th colspan="2">Edge</th> <th rowspan="2">weight</th> </tr> <tr> <th>i</th> <th>j</th> </tr> </thead> <tbody> <tr><td>1</td><td>2</td><td>115</td></tr> <tr><td>5</td><td>10</td><td>24</td></tr> <tr><td>1</td><td>3</td><td>74</td></tr> <tr><td>1</td><td>4</td><td>42</td></tr> <tr><td>4</td><td>7</td><td>132</td></tr> <tr><td>3</td><td>6</td><td>372</td></tr> <tr><td>5</td><td>7</td><td>70</td></tr> <tr><td>6</td><td>9</td><td>72</td></tr> <tr><td>7</td><td>8</td><td>144</td></tr> <tr><td>Total weight</td><td></td><td>1045</td></tr> </tbody> </table>	Edge		weight	i	j	1	2	115	5	10	24	1	3	74	1	4	42	4	7	132	3	6	372	5	7	70	6	9	72	7	8	144	Total weight		1045	<table border="1"> <thead> <tr> <th colspan="2">Edge</th> <th rowspan="2">weight</th> </tr> <tr> <th>i</th> <th>j</th> </tr> </thead> <tbody> <tr><td>1</td><td>10</td><td>806</td></tr> <tr><td>5</td><td>10</td><td>24</td></tr> <tr><td>5</td><td>7</td><td>70</td></tr> <tr><td>5</td><td>9</td><td>328</td></tr> <tr><td>1</td><td>4</td><td>42</td></tr> <tr><td>1</td><td>3</td><td>74</td></tr> <tr><td>7</td><td>8</td><td>144</td></tr> <tr><td>6</td><td>9</td><td>72</td></tr> <tr><td>2</td><td>3</td><td>391</td></tr> <tr><td>Total weight</td><td></td><td>1951</td></tr> </tbody> </table>	Edge		weight	i	j	1	10	806	5	10	24	5	7	70	5	9	328	1	4	42	1	3	74	7	8	144	6	9	72	2	3	391	Total weight		1951
Edge		weight																																																																					
i	j																																																																						
1	2	115																																																																					
5	10	24																																																																					
1	3	74																																																																					
1	4	42																																																																					
4	7	132																																																																					
3	6	372																																																																					
5	7	70																																																																					
6	9	72																																																																					
7	8	144																																																																					
Total weight		1045																																																																					
Edge		weight																																																																					
i	j																																																																						
1	10	806																																																																					
5	10	24																																																																					
5	7	70																																																																					
5	9	328																																																																					
1	4	42																																																																					
1	3	74																																																																					
7	8	144																																																																					
6	9	72																																																																					
2	3	391																																																																					
Total weight		1951																																																																					

From the table above we can see that using different elements of HVT_i will get different solution. Moreover, the number of elements in HVT_i also another important factor as shown below :

TABLE II
EXAMPLE OF SOLUTIONS BY SETTING DIFFERENT $|\text{HVT}_i|$

MPDCMST solution when $\text{HVT}_1 = \{2\}, \text{HVT}_2 = \{3\}, \text{HVT}_3 = \{4\}, \text{HVT}_i = 1$	MPDCMST solution when $\text{HVT}_1 = \{2,3,4\}, \text{HVT}_2 = \{5,6,7\}$ $\text{HVT}_3 = \{10,11,13\}, \text{HVT}_i = 3$
File name: 3.dat, n = 20	File Name : 3.dat, n = 20

Edge		weight
i	j	
1	2	226
12	17	4
12	19	59
6	9	10
2	3	311
5	7	10
7	18	57
11	15	20
15	18	34
3	4	164
1	8	20
8	13	29
1	19	34
3	18	43
8	20	61
10	11	64
15	16	92
6	16	103
11	14	295
Total weight		1636

Edge		weight
i	j	
1	2	226
2	4	216
3	4	164
12	17	4
12	19	59
1	7	161
5	7	10
5	6	149
6	9	10
6	16	103
1	8	20
8	13	29
10	13	75
10	11	64
11	15	20
15	18	34
8	20	61
5	17	80
3	14	96
Total weight		1581

Since the certain vertices in HVT_i and the number of vertices on HVT_i are some of important factors, we set the following table that consists of the certain vertices in certain period as follow:

TABLE III
ELEMENTS OF HVT_i FOR EVERY PERIOD

n	HVT_1	HVT_2	HVT_3
10	2	3	4
20	2	3	4
30	2,3	4,5	6,7
40	2,3,4	5,6,7	8,9,10
50	2,3,4,5	6,7,8,9	10,11,12,13
60	2,3,4,5,6	7,8,9,10,11	12,13,14,15
70	2,3,4,5,6,7	8,9,10,11,12,13	14,15,16,17,18,19
80	2,3,4,5,6,7,8	9,10,11,12,13,14,15	16,17,18,19,20,21,22
90	2,3,4,5,6,7,8	9,10,11,12,13,14,15	16,17,18,19,20,21,22
100	2,3,4,5,6,7,8,9	10,11,12,13,14,15,16,17	18,19,20,21,22,23,24,25

During implementation we notice that the action on HVT_i do make changes on the quality of the solution. Therefore, when inserting a certain vertex j which already connected to HVT_i , we do the following:

- First method : insert another vertex which is not in T (tree where the central vertex is in)
- Second method: continue the process (without inserting another vertex to replace j).

The following table shows the differences of these methods

TABLE IV
COMPARISON OF FIRST AND SECOND METHOD

MPDCMST solution when the vertex is inserted to HVT _i (First method)			MPDCMST solution when the vertex is not inserted to HVT _i (Second method)		
File name: 3.dat, n = 20			File Name : 3.dat, n = 20		
Edge			Edge		
i	j	weight	i	j	weight
1	2	527	1	2	527
9	18	15	9	18	15
15	18	18	15	18	18
4	14	21	4	14	21
2	3	808	2	3	808
8	17	25	8	17	25
8	9	37	8	9	37
3	10	28	3	10	28
3	12	77	3	12	77
7	15	30	7	15	30
5	12	267	1	6	32
12	1	6	12	10	15
13	10	15	13	13	19
14	13	19	14	6	20
15	6	20	15	5	16
16	5	16	16	9	13
17	9	13	17	14	19
18	14	19	18	14	16
19	7	11	19	7	11
Total weight		2336	Total weight		2139

The following figures show the tree obtained from the two methods.

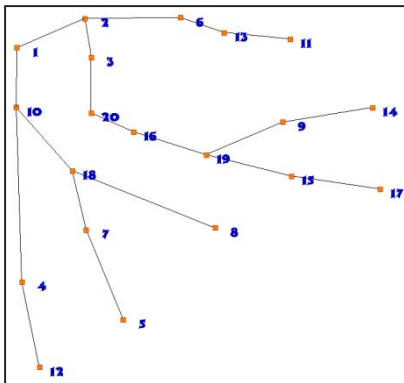


Figure 2. The tree obtained from the first method

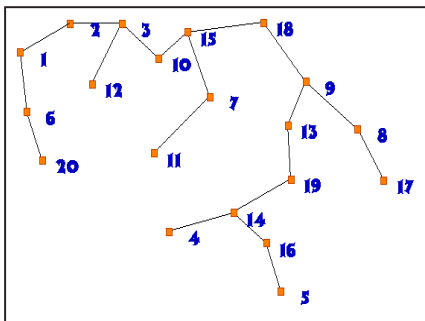


Figure 2. The tree obtained from the second method

TABLE V
THE AVERAGE SOLUTIONS OF MST, DCMST AND MPDCMST

n	Average solution			
	MST	DCMST	First method	Second method
10	1129.43	1178.80	1672.80	1544.37
20	1196.10	1299.60	1999.30	1966.17
30	1177.43	1304.03	2351.77	2263.13
40	1151.23	1287.97	2515.40	2439.57
50	1223.43	1357.07	2741.03	2609.77
60	1175.57	1282.30	2699.20	2427.80
70	1242.10	1367.53	3527.00	2672.97
80	1236.83	1367.70	2939.53	2794.93
90	1248.00	1367.93	3027.90	2823.50
100	1234.10	1340.23	2962.20	2786.60
Average	1201.42	1315.32	2643.61	2432.88

From the above table we can see that in general the solution of the second method is better than the first method.

V. CONCLUSIONS

From the results above we can conclude that when a vertex under consideration already installed (connected) in the previous period, then the procedure should continue the process without asking more vertices, and this will give better solution.

REFERENCES

- [1] Graham, R.L., and Hell, P., "On the history of the Minimum Spanning Tree Problem" Mimeographed, Bell Laboratories, Murray Hill, New Jersey, 1982
- [2] Junaidi Akmal, Wamiliana, Dwi Sakethi, and Edy Tri Baskoro. "Computational Aspects of Greedy Algorithms for Solving The Multi Period Degree Constrained Minimum Spanning Tree Problem", *J. Sains MIPA*, Vol. 14, No. 1, pp. 1 – 6, 2008
- [3] Kawatra R. "A multiperiod degree constrained minimum spanning tree problem. *European Journal of Operational Research*, Vol. 143, 99 53-63, 2002.
- [4] Kruskal, J.B. On the Shortest Spanning Tree of a Graph and the Traveling Salesman Problem. *Proc. Amer. Math. Soc.*, 7, pp.48-50, 1956.
- [5] Prim, R.C. Shortest Connection Networks and Some Generalizations. *Bell System Technical Journal*, 36, pp.1389-1401, 1957.
- [6] Wamiliana. "Combinatorial Methods for Degree Constrained Minimum Spanning Tree Problem", Doctoral Thesis, Department of Mathematics and Statistics, Curtin University and Technology, Australia, 2002.
- [7] Wamiliana and Caccetta. "Tabu search Based Heuristics for the Degree Constrained Minimum Spanning Tree Problem", *Proceeding of South East Asia Mathematical Society*, pp. 133-140, 2003.
- [8] Wamiliana. 'Solving the Degree Constrained Minimum Spanning Tree Using Tabu and Penalty Method', *Jurnal Teknik Industri*, pp.1-9, 2004.
- [9] Wamiliana, Dwi Sakethi, Akmal J and Edy Tri Baskoro. "The design of Greedy Algorithm for Solving The Multi Period Degree Constrained Minimum Spanning Tree Problem", *Jurnal Sains dan Teknologi*, Vol. 11 No.2, pp. 93 -96, 2005.
- [10] Wamiliana, Amanto, and Mustofa Usman. "Comparative Analysis for The Multi Period Degree Constrained Minimum Spanning Tree Problem, " in *Proc. International Conference on Engineering and Technology Development (ICETD)*, 2013, pp. 39 – 43, 2013.